Recursive Distinctioning

By Louis H. Kauffman and Joel Isaacson: Howard Bloom Presentation

Editors' Introduction: Scientist and author Howard Bloom presented at ISDC-2017, in St. Louis, on May 28, 2017, the most recent paper authored by Dr. Louis Kauffman and Dr. Joel Isaacson providing the description and current status of research on Nature's Cosmic Intelligence. The term for that autonomous phenomenon in the universe is *"Recursive Distinctioning (RD)."* See our Editors' Notes at the end of the article for more of the RD Story. *Bob Krone and Gordon Arthur.*

Recursive Distinctioning

by Louis H. Kauffman and Joel Isaacson



This slide show is based on a paper "Recursive Distinctioning" by Joel Isaacson and Louis H Kauffman, and joint work with programming and exploring recursive distinctioning by Louis H Kauffman and Dan Sandin. See <u>http://homepages.math.uic.edu/~kauffman/</u>

<u>RD.html</u>





If you apply this RECURSIVE DISTINGUISHING PROCESS (distinguish the middle third and construct two copies of the middle third to replace it) to one side of the triangle, you obtain the Koch Fractal, a form that is equal to FOUR COPIES OF **ITSELF** EACH SHRUNK BY ONE THIRD.



The fractal makes a space of its own that is not one dimensional nor is it two dimensional. The dimension is a measure of the process of recursive distinguishing that has given birth to this recursive form.

Fractal Spacetime

Spacetime itself may be a fractal and the true dimension of spacetime, a fractal dimension, greater than three but less than four! The problems of infinities and renormalization in physics may be resolved by this understanding.

Fractal Spacetime is generated by an Ultimately Simple Process of Recursive Distinguishing.





Beautiful, self-similar geometric forms emerge from the simplest of distinctions and a recursive process in which these distinctions are enfolded.

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Higher dimensional analogues give us new insight into the nature of space and time. Space is the distinction we apprehend. Time is the process by which space becomes what it is now.



Recursive Fractal Distinguishing occurs in Biological Systems.



A simple growth rule, based on an elementary distinction --- and recursion --- generates a myriad of forms.



Wolfram Rule 30

Cellular Automata, based on very simple rules generate complex, fractal and even undecideable patterns.

Wolfram line automata use a distinction that is based on the different neighbor patterns for a given square. The replacement is a black square or a white square.

In Conway Life the rules apply in two dimensions. A black cell is born if it has exactly 3 neighbors.

A black cell survives only if it has 2 or 3 neighbors.

In all these situations, there is a set of distinctions such as black and white cells that are INDICATORS. And there are rules that are based on distinctions about these indicators.

> We ask about such recursive distinguishing: HOW SIMPLE CAN IT BE?

CAN THE RECURSION AND THE LANGUAGE OF INDICATION COME FORTH TOGETHER?

CAN WE ELIMINATE ARBITRARINESS AND KEEP THE DISTINCTIONS AS SIMPLE AS POSSIBLE?













A circle could also be a SYMBOL, standing for a distinction.



G. Spencer-Brown's Laws of Form

These issues take a very strong direction of the English mathematician and philosopher George Spencer-Brown. Spencer-Brown developed a calculus based on distinctions that is seen to underly the development of logic and boolean algebra. This Calculus of Indications is based on the equations



On the left side of the first equation, either circle is the name of the other, and so either can be erased.

In the second equation the two distinctions fit perfectly and so cancel to no distinction at all.

THE PRIMORDIAL DISTINCTION IS ITS OWN NAME.

In the course of recursive distinguishing the simplest examples will be distinctions that describe themselves.



As we shall see, we may begin with distinctions that describe other distinctions, but they will soon be describing themselves in endless recursion.

Recursive Distinctioning is what it says.

One has a distinction or a field of distinctions. Such a field of distinctions can be made specific by arranging patterns in a line, on a lattice or a graph.

For example, one might have a string of letters such as AAAABAAAA

We will describe this pattern with a special alphabet { =, [,], O}

- A letter will receive "[" if it is equal to the letter on the right and unequal to the letter on the left.
- A letter will receive "]" if it is equal to the letter on the left and unequal to the letter on the right.
- A letter will receive "O" if it is unequal to the letter on the left and unequal to the letter on the right.
- A letter will receive "=" if it is equal to the letter on the left and equal to the letter on the right.

| AAAAAAAABAAAAAAAA |
|---------------------------------|
| = = = = = =] O [= = = = = = = |
| = = = = =] O O O [= = = = = |
| = = = =] O [=] O [= = = = = |



A single distinction (the letter B in the row of same A's) has been described and the description itself described two more times.

At the first description, a "protocell"]O[appeared and this cell underwent a "mitosis" in the next two iterations. In the context of recursive distinctioning, recursive redescription, a simple local distinction gives birth to an entity]O[that can reproduce itself!

Philosophically speaking, this is the whole talk. We wish to make the case that the RD process is fundamental and primordial. The fact that it can do something this significant at once, in the simplest case, proves our point.

| *AAA | ааааааааааааааааааааааааааааааааааааааа | АААААААА | |
|------|---|----------|----|
| * |]0[| * | |
| * |] 000 [| * | |
| * |]0[]0[| * | |
| * |] 0000000 [| * | |
| * |]0[]0[| * | |
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| * |] 0000000000000000000000000000000000000 | * | |
| * |]0[]0[| * | |
| * |] 000 [] 000 [| * | |
| * |]0[]0[]0[| * | |

Here is another take on the same process where "=" has been replaced by no marking. In working with a two dimensional lattice we use a natural sixteen letter alphabet. The letters in this alphabet generalize our small one-dimensional alphabet, and indicate distinctions to the north, south, east and west.





Each icon indicates difference with solid edges and equality with blank or dotted edges. Each icon makes a distinction in that it is different from all the other icons.

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```
1000L
             ......
            JOOONOOL
          ....r
                  7000L
         1000
                   7000L
        1000r
                     7000L
       7000L
                 7000L
    .....
              J000L
                        7000L
   10005
             10000L
                          7000L
  1000r
            ..........
                           7000L
                            7000L
1000r
          1000r
                  7000L
1000C
                   . . . . .
                             30001
                            <u>. . . . . .</u>
7000L
          7000L
                  . . . . . .
  7000L
            7000U000r
                           . . . . . r
   7000L
             700000r
                          JODOF
                        ......
    7000L
              70005
                7 B F
                       <u>. . . . . .</u>
     7000L
                 ......
       7000L
        7000L
                    .....
         7000L
                   . . . . . r
           7000L
                  1000r
            7000u000r
             7000005
              70005
                787
```


Applications

Here we have studied the simplest examples of recursive distinguishing. We have kept the examples pure. The language of distinctions refers to the local distinctions experienced by an occupant of one 'room' in the RD lattice. The new occupants of the lattice are those very elements of language. We imagine much more complex examples of RD. For example, you can consider any conversation that you have, and how each person transforms the language of the other in a sequence of recursive moves.

So we conclude that the RDs can do elementary mathematical operations, but it may require some extra observations of them to elicit the patterns that are implicit within them.

> This means that we have to work on this, and use some creativity to figure out how to hook up elementary RDs to make a bigger more conscious entity.

> > We feel that the balance of language and form that is part of the RD is very important to the design.

Rule 110 produces very complex and unpredictable patterns, all from one very assymmetrical distinction!

Rule 110 is Turing Universal, and this means that it has the potential to do what any (logical) machine can do.

The Logical Underpinnings of the Sixteen Letter Alphabet are related to the structure of SpaceTime and the Quaternions

It is remarkable that the sixteen-letter alphabet, devised by Isaacson long ago for RD purposes, was rediscovered by Bernd Schmeikal in a spacetime/logic context. For an account of this (and other references), see the paper Journal of Space Philosophy 5, no. 1 (Spring 2016) **Basic Intelligence Processing Space By Bernd Schmeikal** The version of the quaternions in relation to the sixteen-letter alphabet shown here is equivalent to an iterant formulation of quaternions due to Kauffman. Louis H Kauffman, Iterants, Fermions and Majorana **Operators.** In "Unified Field Mechanics - Natural Science Beyond the Veil of Spacetime," edited by R. Amoroso, L. H. Kauffman, P. Rowlands. World Scientific (2015), pp. 1-32.

The "Quaternion Card" scheme described here was invented by Kauffman in 1996. See old notes https://dl.dropboxusercontent.com/u/11067256/Hitchlin.pdf

Kauffman made a set of cards with markings at their corners to represent the "iterant" representation of quaternions shown on the previous slide. The idea of using the alphabet was inspired by Isaacson and by Schmeikal.

> We have the impression that the sixteenletter alphabet is fundamental and that Bernd Schmeikal's articulation of it in terms of the Clifford algebra of Minkowski spacetime will be significant both for physics and for RD.

This slide shows how the sixteen-letter alphabet can generate the quaternions. We do not explain it here.

DNA Replication and the One-Dimensional Recursive Distinctor

DNA = |Watson> < Crick|

→ |Watson> <Crick| |Watson> < Crick|

\longrightarrow DNA DNA

Recursive distinctioning is a potentially explosive topic whose basic principles apply at all levels of biology, cognition, information science and computation.

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Editors' Notes: Kepler Space Institute (KSI) takes pride in continuing to document the story of Recursive Distinctioning (RD) from its discovery in 1964 by Dr. Joel Isaacson, to his patenting of its characteristics in 1981, to repeated publications in the *Journal of Space Philosophy* beginning with "Nature's Cosmic Intelligence" by Joel Isaacson, in the Fall 2012 issue, followed by the Special Science issue on Recursive Distinctioning, Spring 2015, the Fall 2016 issue, and now this Fall 2017 issue. KSI has sponsored three annual RD conferences by the RD Science Team in 2015, 2016 and 2017.

This article brings readers up to date on the RD presentations at the International Space Development Conference in St. Louis, May 2017. *Bob Krone and Gordon Arthur.*